

Principal Coordinate Analysis

Description

Function [pcoa.all](#) computes principal coordinate decomposition (also called classical scaling) of a distance matrix *D* (Gower 1966) and outputs the eigenvectors corresponding to all eigenvalues, positive and negative.

Usage

```
pcoa.all(D, diagonal=0, all=FALSE, include.zero=FALSE, rn=NULL)
```

Arguments

<i>D</i>	A distance matrix of class <code>dist</code> or <code>matrix</code> .
<i>diagonal</i>	In an ordinary dissimilarity or distance matrix, the diagonal is 0. Other constant values can be forced on the diagonal of matrix <i>D</i> . For example, for the construction of db-MEM eigenfunctions, the diagonal contains <code>4*thresh</code> .
<i>all</i>	If TRUE, the eigenvectors corresponding to all eigenvalues, positive and negative, are shown in the output list. Default value: <code>all=FALSE</code> .
<i>include.zero</i>	If FALSE (default value), the zero eigenvalues as well as their eigenvectors are excluded from the output list. See details.
<i>rn</i>	An optional vector of row names, of length <i>n</i> , for the <i>n</i> objects.

Details

This function was developed to provide principal coordinate decomposition for the function `PCNM` of this library. It computes the eigenvectors corresponding to all eigenvalues, positive and negative, using matrix algebra. It is faster than `cmdscale`, which only outputs the positive eigenvalues and corresponding eigenvectors.

Another function in this library, `pcoa`, offers more options for principal coordinate analysis of ordinary distance matrices computed from community composition or other response data tables. Its companion for the production of ordination diagrams is `biplot.pcoa`.

In `pcoa.all`, when there are no negative eigenvalues, the eigenvectors (principal coordinates) are scaled to a length equal to the square root of the corresponding eigenvalues. When negative eigenvalues are present, the eigenvectors are scaled to

length 1 to prevent the production of complex eigenvectors. Eigenvectors scaled in that way do not preserve the distances in matrix `D` among the objects. They should not be used, in particular, to draw ordination graphs.

When `include.zero` is `TRUE`, the null eigenvalue(s) and associated eigenvector(s) are shown in the output list. These eigenvectors are meaningless and should not be used for modelling.

Value

<code>values</code>	The eigenvalues.
<code>rel.values</code>	The relative eigenvalues.
<code>rel.cum.values</code>	The cumulative relative eigenvalues.
<code>vectors</code>	The principal coordinates.
<code>trace</code>	The trace of the distance matrix. This is also the sum of all eigenvalues, positive and negative.

Author(s)

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References

Gower, J. C. 1966. Some distance properties of latent root and vector methods used in multivariate analysis. *Biometrika*. 53: 325-338.

Legendre, P. and L. Legendre. 1998. Numerical ecology, 2nd English edition. Elsevier Science BV, Amsterdam.

See Also

[PCNM](#), [pcoa](#)

Examples

```
# Oribatid mite data from Borcard and Legendre (1994)
library(vegan)
data(mite)      # 70 peat cores, 35 species

mite.D <- vegdist(mite, "bray")
res <- pcoa.all(mite.D)
res <- pcoa.all(mite.D, all=TRUE)
```

[Package *PCNM* version 2.1-4 [Index](#)]